

Generation and decay of the magnetic field in collisionless shocks

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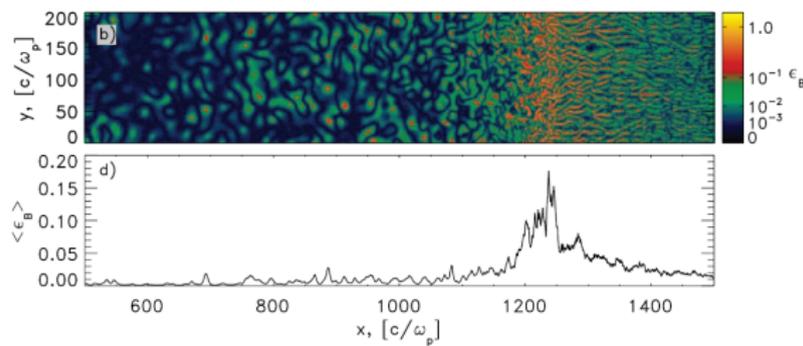
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Relativistic shocks

- ▶ GRBs, AGNs, Microquasars
- ▶ Collisionless: the mean free path for Coulomb collisions is too large, often exceeding the size of the system
- ▶ Could generate strong magnetic field even when they propagate in unmagnetized media (e.g. Medvedev, Loeb (1999)) \Rightarrow Sources of synchrotron emission

Main problem (Gruzinov, 2001; Sironi et al. 2015):



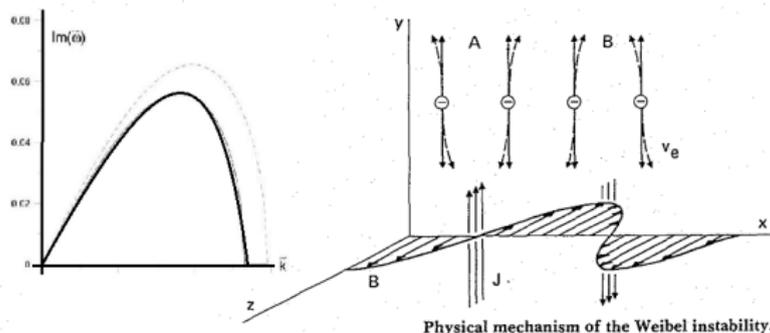
from Chang, Spitkovsky, Arons, 2008

Weibel instability. Linear theory.

$$K = k\omega_p/c, \quad \Omega = \gamma/\omega_p,$$

$$\xi = c\Omega/(K * v_{T\perp}),$$

$$A = \frac{T_{\parallel}}{T_{\perp}} - 1.$$



PDF

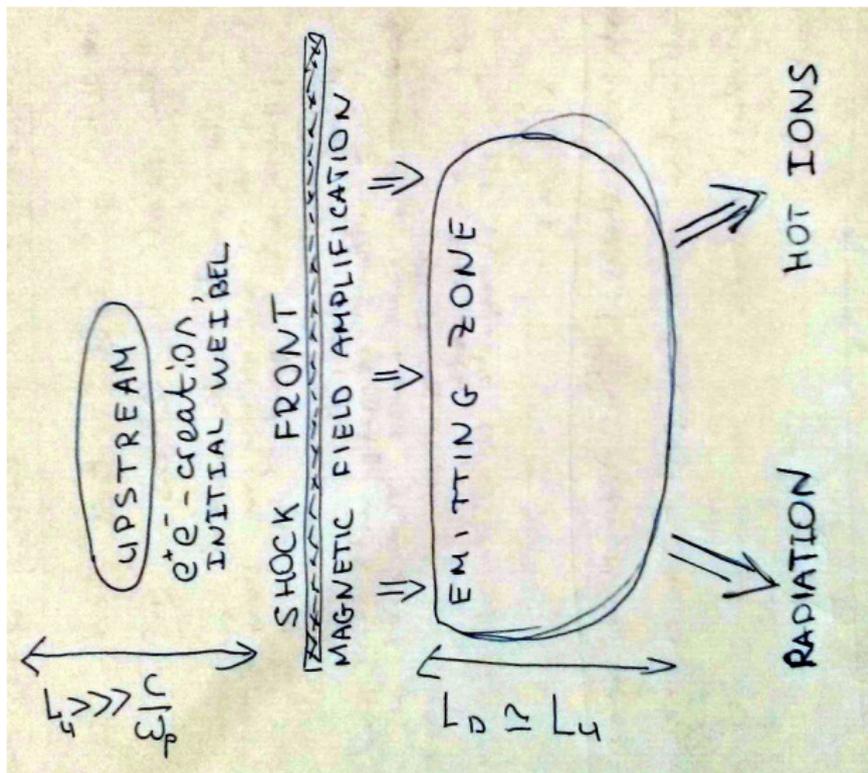
$$f(\mathbf{p}) \sim e^{-p_x^2/(2T_{\parallel}) - (p_y^2 + p_z^2)/(2T_{\perp})}.$$

Dispersion relation:

$$K^2 + \Omega^2 = -1 + (1 + A)(1 + \xi Z(\xi)) = A + (1 + A)\xi Z(\xi).$$

$$K_{\text{lim}} \sim \sqrt{A}, \quad K_{\text{max}} \sim A^{3/2}, \quad \gamma_k \sim k^3$$

New model of a relativistic shock (Derishev, Piran 2016)



Simulation setup

Initial setup: box filled with isotropic e^-e^+ Maxwellian plasma with temperature $T = 50\text{keV}$. The injected plasma has two-temperature anisotropic distribution ($T_{\perp} = 50\text{keV}$, $T_{\parallel} = 200\text{keV}$). The number density of injected component is

$$N_a(t) = N_0 \delta \begin{cases} \frac{t_i + t}{t_i}, & -t_i \leq t \leq 0, \\ 1, & t > 0. \end{cases}$$

In the talk I will use dimensionless times:

$$\tau = \int_{-t_i}^t \omega_p dt - \tau_i, \quad \tau_i = \int_{-t_i}^0 \omega_p dt.$$

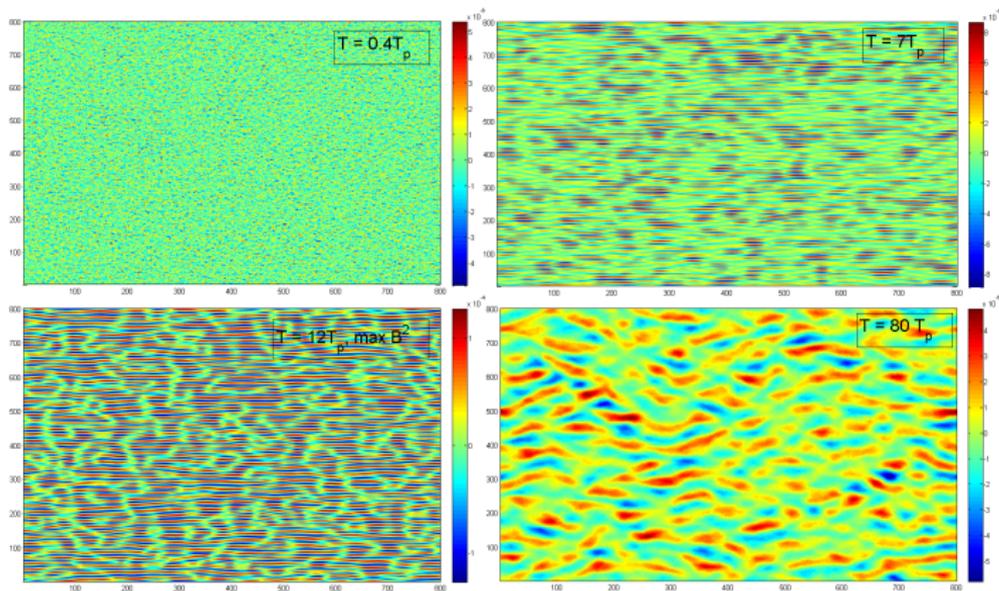
We performed two sets of simulations:

- ▶ After the injection we track the evolution of the field
- ▶ After the injection we model shock passage through the plasma by artificially stretching the PDF (doubling p_x component of each particle momentum) and letting system to evolve

Simulation parameters

- ▶ PIC-code (EPOCH), FDTD + Vay + 3rd order B-spline, 2D3V Geometry
- ▶ Conservation of energy $\delta e/e \lesssim 10^{-5}$
- ▶ Grid 1600 x 1600, periodic bc
- ▶ ~ 1000 ppc
- ▶ T_{sim} up to $20000/\omega_p$

Generation of the magnetic field via Weibel instability.



Evolution of the magnetic field

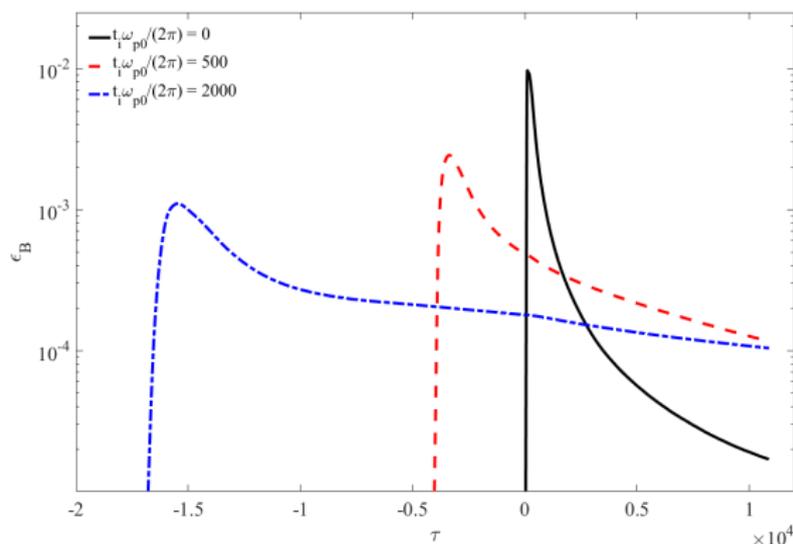


Figure: Evolution of magnetization for different durations of injection: instantaneous (black line), $\omega_p t_i/(2\pi) = 500$ (red line), $\omega_p t_i/(2\pi) = 2000$ (blue line).

Spatial scale evolution

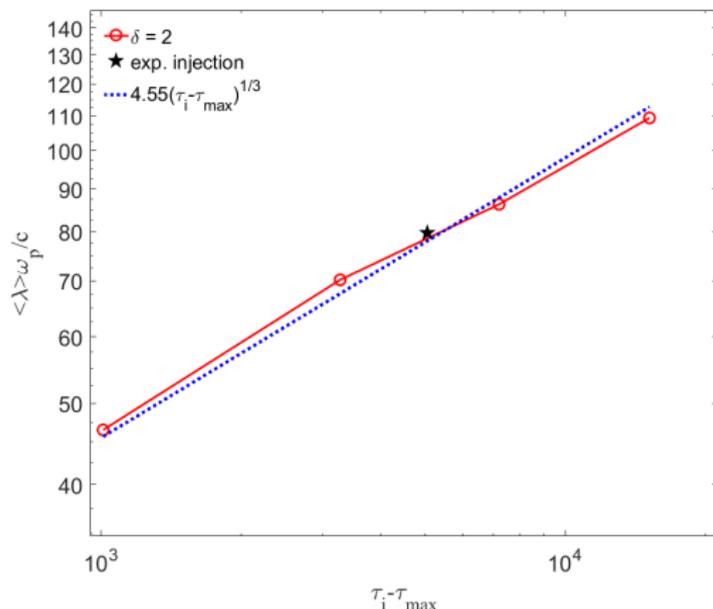


Figure: The average wavelength $\langle \lambda \rangle$ at the end of the injection as a function of $\tau_i - \tau_{\max}$ where τ_{\max} corresponds to the time, where maximum of the magnetic field energy is observed. Star represents a simulation with exponentially growing injection rate.

Decay of the magnetic field

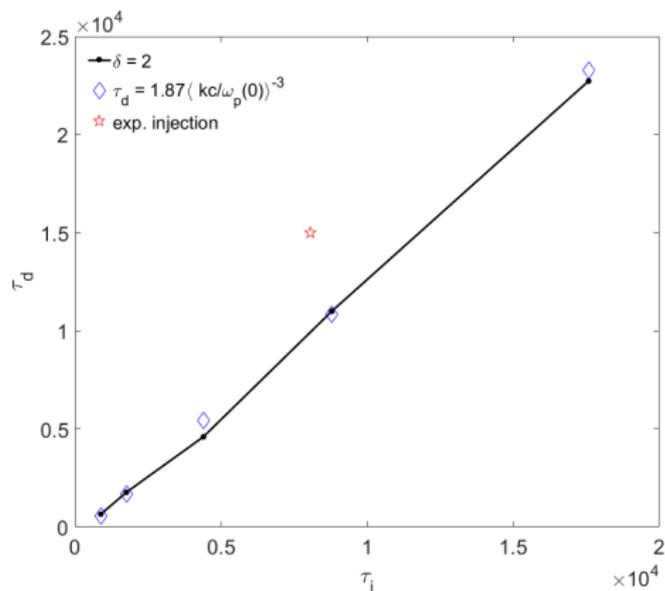


Figure: The magnetic field decay time scale as a function of injection duration. Diamonds show the decay time scale predicted theoretically in phase mixing model. Star represents a simulation with exponentially growing injection rate.

Evolution of the magnetic field at the shock.

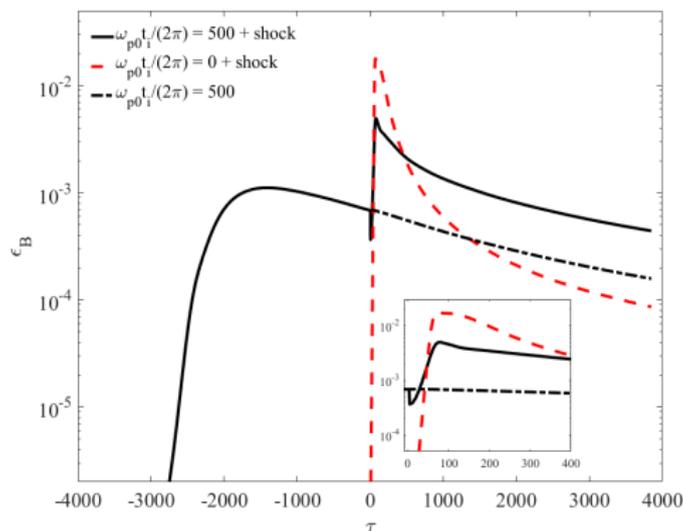


Figure: Solid line: the shock passage is preceded by injection of anisotropic plasma component with $\delta = 0.5$ and $t_i = 500 \cdot 2\pi/\omega_p$. Dashed line: the shock passes through plasma with zero magnetic field (no preceding injection). Dash-dotted: the decay of the field after injection without passage of the shock.

Power spectrum of the magnetic field

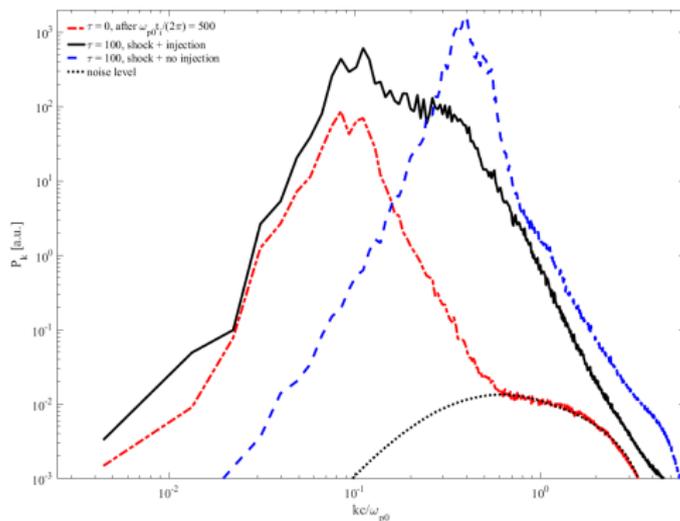


Figure: Power spectra P_k of the magnetic field just before the shock passage ($\tau = 0$) and shortly after the shock passage at $\tau = 100$, that approximately corresponds to the maximum of the magnetic field.

Main results.

- ▶ Weibel instability, when it develops in plasma with continuous supply of particles with anisotropic distribution, leads to generation of large-scale magnetic fields.

$$\langle \lambda \rangle \sim (\tau_i - \tau_{\max})^{1/3}$$

- ▶ The field decay time is approximately equal to the injection duration, confirmed in simulation for τ_i up to $20000\omega_p^{-1}$
- ▶ This large-scale magnetic field could be amplified at the shock-front and then could survive for a long time in the downstream, explaining efficient synchrotron emission from relativistic shocks.